



Valuing Potential; Creating Opportunities

CALCULATION POLICY

This policy to be read in conjunction with Assessment and Marking Policies, Equal Opportunities Policy, Planning, Teaching and Learning Policies, Racial Equality Policy, Maths Policy, Inclusion and SEN Policies

RATIONALE

This policy outlines the different stages and calculation methods that we teach in school. The Numeracy Framework provides a structured and systematic approach to teaching number calculations. There is a considerable emphasis on teaching mental calculation strategies and speaking and listening activities. Informal written recording should take place regularly and is an important part of learning and understanding. More formal written methods should follow only when a child is able to use a wide range of mental calculation strategies.

This policy concentrates on the introduction of standard symbols, the use of the empty number line as a jotting to aid mental calculation and on the introduction of pencil and paper procedures. It is important that children do not abandon jottings and mental methods once pencil and paper procedures are introduced. Therefore children will always be encouraged to look at a calculation problem and then decide which is the best method to choose – pictures, mental calculation with or without jottings, structured recording or use a calculator.

AIMS AND OBJECTIVES

Our long-term aim is for children to be able to select an efficient method of their choice (whether this be mental, written, diagrams, pictures or using a calculator) that is appropriate for a given task. They will do this by asking themselves the following questions:

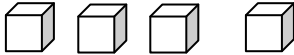
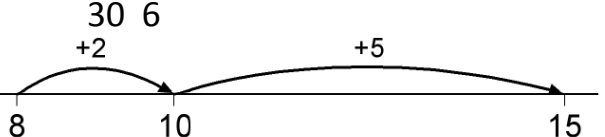
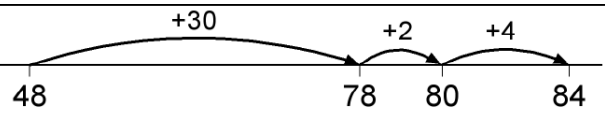
‘Can I do this in my head?’ ‘Can I do this in my head using drawings or jottings?’ ‘Do I need to use a pencil and paper procedure?’ ‘Do I need a calculator?’


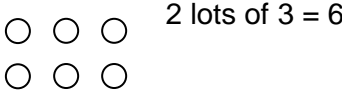
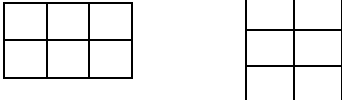

We will ensure:

- Consistency in methods taught throughout the school.
- Opportunities for progression from informal / practical methods of recording to written methods for each of the four operations.
- Parents and children will have an understanding of the stages of learning
- Children have an understanding of the mathematical theory behind the practice
- Children have opportunities to approximate answers and check calculations


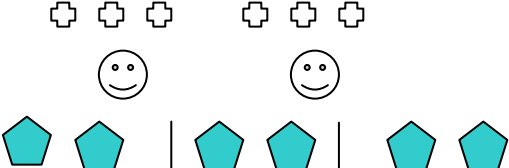
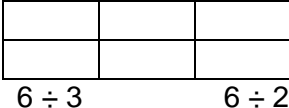
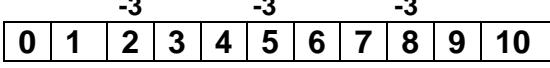
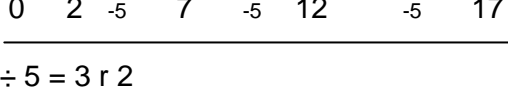
These are the methods that we teach at school and the policy shows how the methods change as the children move through the year and the school.

ADDITION

<i>The different stages</i>	<i>Example of what it looks like</i>
Stage 1 Counting sets of objects	
Stage 2 Combining 2 sets of objects into 1 group and counting practically.	For example for $6+2=$ the children may get 6 cubes, then 2 more and count how many altogether.
Stage 3 Drawing pictures/dots – informal jottings. Then counting how many altogether.	$4 + 2 = 6$ * * * * + * *
Stage 4 Counting on, on a number line with numbers on it.	$6 + 3 = 9$ 1 2 3 4 5 6 7 8 9 10
Stage 5 Steps in addition can be recorded on a number line. The steps often bridge through a multiple of 10. 1) Partition the smaller number into tens and units 2) Add on the tens.	$8 + 7 = 15$ $48 + 36 = 84$  
Stage 6 Partitioned numbers are written underneath one another	$\begin{array}{r} 47 \quad 40 + 7 \\ + 76 \quad 70 + 6 \\ \hline 110 + 13 = 123 \end{array}$
Stage 7 Write the numbers in columns, add the tens first. Add the units first:	$\begin{array}{r} 47 \qquad 47 \\ + 76 \qquad 76 \\ \hline 110 \qquad 13 \\ + 13 \qquad 110 \\ \hline 123 \qquad 123 \end{array}$
Stage 8 Short method, where numbers are 'carried' into the next column	$\begin{array}{r} 47 \\ \underline{76} \\ 123 \\ 11 \end{array}$
Stage 9 Adding numbers with different amount of digits.	$\begin{array}{r} 258 \\ + 87 \\ \hline 345 \\ 11 \end{array}$
Stage 10 Adding decimal numbers	$\begin{array}{r} 258.10 \\ + 87.02 \\ \hline 345.12 \\ 11 \end{array}$

The different stages	Example of what it looks like																
Stage 1 Counting/sharing in repeated groups/patterns																	
Stage 2 Informal jottings and introduction of vocabulary (eg lots of, groups, multiply)																	
Stage 3 Arrays																	
Stage 4 Repeated addition Also shown on a number line	$5 + 5 + 5 = 5 \times 3$ 																
Stage 5 Partitioning	$13 \times 5:$ $10 \times 5 = 50$ $3 \times 5 = 15$ $50 + 15 = 65$																
Stage 6 The grid method	$38 \times 7:$ <table border="1" data-bbox="948 846 1262 994"> <tr><td>x</td><td>7</td></tr> <tr><td>30</td><td>210</td></tr> <tr><td>8</td><td>56</td></tr> <tr><td></td><td>266</td></tr> </table>	x	7	30	210	8	56		266								
x	7																
30	210																
8	56																
	266																
Stage 7 Long multiplication shows method of recording in a column format but links to the grid method	$30 \times 7 = 210$ 38 $8 \times 7 = 56$ $\times 7$ 266 56 — <u>210</u> 266																
Stage 8 Short multiplication	38 $\times 7$ <u>266</u> 5																
Stage 9 Grid method for multiplying two, two-digit numbers (place value must be secure)	<table border="1" data-bbox="900 1397 1287 1525"> <tr><td>x</td><td>20</td><td>7</td><td></td></tr> <tr><td>50</td><td>1000</td><td>350</td><td>1350</td></tr> <tr><td>06</td><td>120</td><td>42</td><td>162</td></tr> <tr><td></td><td></td><td></td><td>1512</td></tr> </table> <p style="text-align: center;">1</p>	x	20	7		50	1000	350	1350	06	120	42	162				1512
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			1512														
Stage 10 Children follow the basic grid method in a column format. They should be able to approximate, eg $60 \times 30 = 1800$, therefore....	$50 \times 20 = 1000$ 56 $6 \times 20 = 120$ $\times 27$ $50 \times 7 = 350$ 1000 $6 \times 7 = 42$ 120 350 <u>42</u> 1512 1																

DIVISION

<i>The different stages</i>	<i>Example of what it looks like</i>
Stage 1 Counting/sharing in repeated groups/patterns	
Stage 2 Informal jottings and introduction of vocabulary (eg shared equally, share, divide, sets) Repeated addition (6 sweets, how many children can have 2 sweets each):	
Stage 3 Arrays	
Stage 4 Calculations involving remainders, using repeated subtraction (10 ÷ 3 = 3 r 1)	
Stage 5 Children use their own (blank) number lines for repeated subtraction	
Stage 6 Use understanding of multiplication to solve division problems	$27 \div 5 = 5 \text{ r } 2$ $5 \times 5 = 25 \quad 27 - 25 = 2$
Stage 7 Vertical methods of division	$72 \div 3 :$ $\begin{array}{r} 3 \overline{) 72} \\ \underline{- 30} \quad (10 \times 3) \\ 42 \\ \underline{- 30} \quad (10 \times 3) \\ 12 \\ \underline{- 6} \quad (2 \times 3) \\ 6 \\ \underline{- 6} \quad (2 \times 3) \\ 0 \end{array}$ <p style="text-align: right;">(2 lots of 10 = 20) (2 lots of 2 = 4) 20 + 4 = 24</p>
Stage 8 Three-digit numbers using larger multiples of ten (sometimes referred to as 'chunking').	$\begin{array}{r} 7 \overline{) 256} \\ \underline{- 70} \quad 10 \times 7 \\ 186 \\ \underline{- 140} \quad 20 \times 7 \\ 46 \\ \underline{- 42} \quad 6 \times 7 \\ 4 \end{array}$ <p style="text-align: right;">36 r 4</p>
Stage 9 Division using knowledge of place value and multiplication tables	$\begin{array}{r} 083 \text{ r } 5 \\ 7 \overline{) 5826} \\ \underline{56} \\ 26 \\ \underline{21} \\ 5 \end{array}$ <p style="text-align: right;">7 x 8 = 56 r 2 7 x 3 = 21 r 5</p>
Stage 10 Long division with h t u and estimation: How many packs of 24 can we make from 560 biscuits.	$\begin{array}{r} 24 \overline{) 560} \\ \underline{- 480} \\ 80 \\ \underline{- 72} \\ 8 \end{array}$ <p style="text-align: right;">Estimate: 24 x 20 = 480 24 x 3 = 72 23 packs r 8</p>